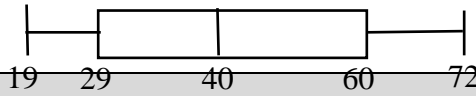
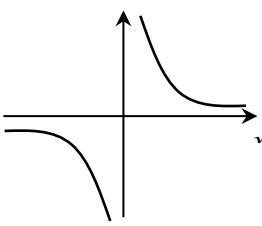
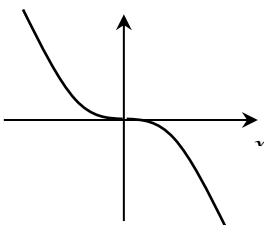
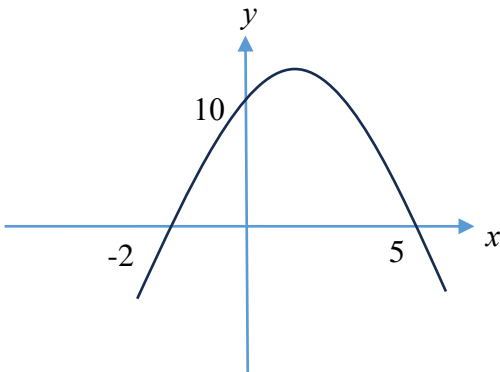


Paper 1

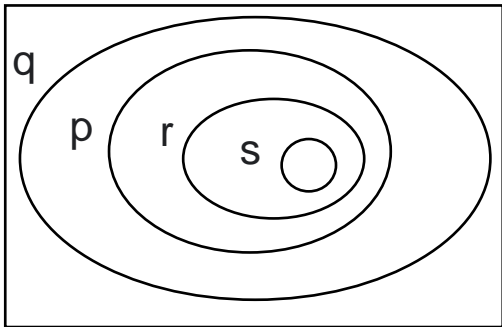
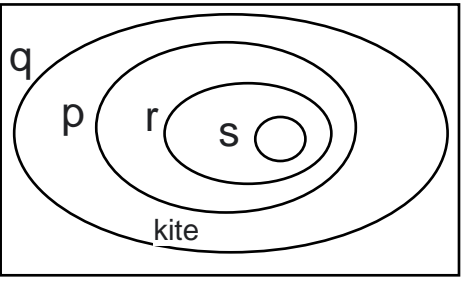
Qn No.	Solutions
1a	7.97×10^{22}
1b	Sum must be ≤ 349 $\frac{349}{3} = 116.333$ 3 even numbers are : 114, 116, 118
2a	$2y - 1 < \frac{11y}{4}$ and $\frac{11y}{4} < \frac{1}{4}$ $8y - 4 < 11y$ and $11y < 1$ $-3y < 4$ and $y < \frac{1}{11}$ $y > -1\frac{1}{3}$ and $y < \frac{1}{11}$ $-1\frac{1}{3} < y < \frac{1}{11}$
2b	$-25 + (-5)^2 = 0$
3a	$756 = 2^2 \times 3^3 \times 7$
3b	$756p = 2^2 \times 3^3 \times 7 \times p$ $495 = 3^2 \times 5 \times 11$ Smallest $p = 5 \times 11 = 55$ Or $\text{LCM} = 2^2 \times 3^3 \times 5 \times 7 \times 11$ $756p = 2^2 \times 3^3 \times 7 \times p$ $p = 5 \times 11 = 55$
3c	$756 \times \frac{a}{b} = \text{perfect cube}$ $2^2 \times 3^3 \times 7 \times \frac{a}{b} = \text{perfect cube}$ $a = 2, b = 7$
4a	$\frac{a^2-3a+2}{9a^2-1} \div \frac{2a-2}{6a-2}$ $= \frac{(a-2)(a-1)}{(3a-1)(3a+1)} \times \frac{2(3a-1)}{2(a-1)}$ $= \frac{a-2}{3a+1}$
5a	$\frac{(2x^3y^2)^{-4}}{(10x^{-2}y^3)^2} \div \sqrt[3]{27x^{-3}y^6}$

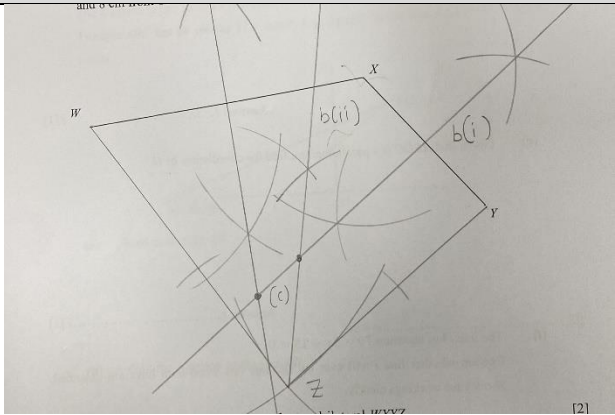
	$= \frac{2^{-4}x^{-12}y^{-8}}{100x^{-4}y^6} \times \frac{1}{(27x^{-3}y^6)^{\frac{1}{3}}}$ $= \frac{1}{1600x^8y^{14}} \times \frac{1}{3x^{-1}y^2}$ $= \frac{1}{4800x^7y^{16}}$
5b	$3^{x+2} \times 3(3^5) = 1$ $3^{x+2} \times 3^1(3^5) = 1$ $3^{x+2} \times 3^6 = 3^0$ $x + 2 + 6 = 0$ $x = -8$
6a	$a^3 - 2a^2b - 4a + 8b$ $= a^2(a - 2b) - 4(a - 2b)$ $= (a^2 - 4)(a - 2b)$ $= (a - 2)(a + 2)(a - 2b)$
6b	$\frac{3x+2}{9x} = \frac{1}{7x-3}$ $(3x + 2)(7x - 3) = 9x$ $21x^2 - 9x + 14x - 6 = 9x$ $21x^2 - 4x - 6 = 0$ <p>Using general formula</p> $x = 0.638 \text{ or } x = -0.448$
7	<p>Bank A:</p> $\text{Total amount} = P \left(1 + \frac{r}{100} \right)^n$ $= 20000 \left(1 + \frac{3}{100} \right)^5$ $= \$23,185.48$ <p>Bank B:</p> $\text{Total amount} = 20000 + \frac{3.2}{100} \times 20000 \times 5$ $= \$23,200$ <p>Bank C:</p> $\text{Total amount} = \$23,000$ <p>He should invest in Bank B as the interest he get is the highest.</p>
8a	<p>Probability of all good apple</p> $= \frac{17}{20} \times \frac{16}{19} \times \frac{15}{18}$

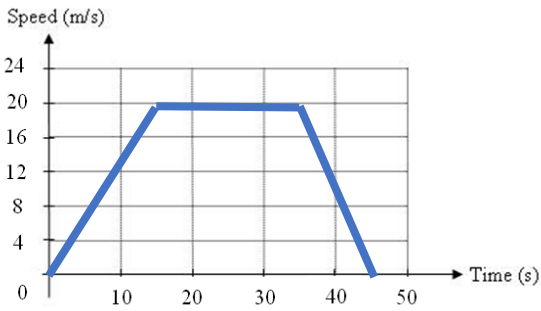
	$= 0.59649$ Probability of at least 1 bad $= 1 - 0.59649$ $= 0.404$ or $\frac{23}{57}$
8b	<p>No. $\frac{17}{20} \times \frac{16}{19} \times \frac{3}{18}$ refers to the probability of (Good, Good, Bad). It can also be (Good, Bad, Good) or (Bad, Good, Good).</p> <p>Probability should be</p> $\frac{17}{20} \times \frac{16}{19} \times \frac{3}{18} + \frac{17}{20} \times \frac{3}{19} \times \frac{16}{18} + \frac{3}{20} \times \frac{17}{19} \times \frac{16}{18}$ $= 3 \left(\frac{17}{20} \times \frac{16}{19} \times \frac{3}{18} \right)$
9	<p>19 28 30 32 48 50 70 72</p> <p>Median = $\frac{32+48}{2} = 40$ Lower quartile = $\frac{28+30}{2} = 29$ Upper quartile = $\frac{50+70}{2} = 60$</p> 
10a	
10b	
10c	$\frac{4}{x} + 2x^3 = 0$ $\frac{4}{x} = -2x^3$ <p>no intersection for $y = \frac{4}{x}$ and $y = -2x^3$</p>

	0 solution
11a	$-(x+2)(x-5)$ $= -(x^2 - 5x + 2x - 10)$ $= -(x^2 - 3x - 10)$ $= -[(x - 1.5)^2 - (-1.5)^2 - 10]$ $= -[(x - 1.5)^2 - 12.25]$ $= -(x - 1.5)^2 + 12.25$ $p = -1.5. \quad k = 12.25$
11b	
11c	(1.5, 12.25)
12a	<p>Angle ACD = 2 angle AOD $= 67^\circ \div 2$ $= 33.5^\circ$ (angle at centre = 2 angle at circumference)</p> <p>Angle BAO = 67° (alt angles, AB // DO) Angle BCA = $180^\circ - 67^\circ - 90^\circ$ $= 23^\circ$ (right angle in semicircle)</p> <p>Angle BCD = $23^\circ + 33.5^\circ = 56.5^\circ$</p>
12b	Angle DAB and angle DCB are angles in opposite segments in a circle and adds up to 180°
12c	<p>Angle DBA = angle DCA $= 33.5^\circ$ (angles in same segment)</p> <p>Angle DBC = $90^\circ - 33.5^\circ = 56.5^\circ$ (right angle in semicircle)</p>
13	$\sqrt{3p^3 + 6r^2} = \frac{5r}{2}$ $3p^3 + 6r^2 = \frac{25r^2}{4}$ $12p^3 + 24r^2 = 25r^2$

	$12p^3 = r^2$ $r = \pm\sqrt{12p^3}$
14a	$\frac{A_1}{A_2} = \left(\frac{l_1}{l_2}\right)^2$ $\frac{9}{49} = \left(\frac{l_1}{l_2}\right)^2$ $\frac{l_1}{l_2} = \frac{3}{7}$ $\frac{V_1}{V_2} = \left(\frac{l_1}{l_2}\right)^3$ $\frac{V_1}{V_2} = \frac{27}{343}$ $V_1 = 1200 \div 343 \times 27 = 94.5 \text{ cm}^3$
14b	<p>Radius 3 refers to that of water though qn may be a bit vague</p> <p>Volume of water = $94.5 \times 80\% = 75.6$</p> $\frac{1}{3}\pi(3)^2h = 75.6$ $h = 8.02 \text{ cm}$ <p>Accept 3 as radius of cone also</p> $\frac{V_1}{V_2} = \frac{4}{5}$ $\frac{r_1}{r_2} = \sqrt[3]{\frac{4}{5}}$ $r_1 = \sqrt[3]{\frac{4}{5}} \times 3 = 2.78495$ $\frac{1}{3}\pi(2.78495)^2h = 75.6$ $H = 9.31 \text{ cm}$
15a	$I = \frac{k}{d^2}$ $8 = \frac{k}{3^2}$ $k = 72$ $I = \frac{72}{d^2}$
15b	$I = \frac{72}{(0.25d)^2}$ $I = \frac{72}{0.0625d^2}$ $I = \frac{1152}{d^2}$ $\frac{1152}{72} = 16 \text{ times}$ $\% \text{ change} = \frac{1152-72}{72} \times 100\% = 1500\%$

16ai	$\text{Angle FGA} = \frac{(7-2)180}{7} = 128.57^\circ$ $\text{Angle OGF} = 128.57^\circ \div 2 = 64.3^\circ$
16aii	$\text{Angle GFH} = 180 - 64.3 = 115.7^\circ$ $\text{Angle EFH} = 128.57 - 115.7 = 12.9^\circ$
16b	$\text{Sum of exterior angle} = 360^\circ$ $18 + 22 + 32 + 4(17) + (n - 7)(20) = 360$ $140 + 20n - 140 = 360$ $n = 18$
17a	<p>ξ</p>  <p>Square is a type of rectangle Square and rectangle is a type of parallelogram</p>
17b	<p>ξ</p>  <p>kite</p>
18a	$AB = \sqrt{(6-0)^2 + (3-(-11))^2}$ $= \sqrt{36 + 196}$ $= 15.2 \text{ units}$
18b	$\text{Gradient} = \frac{6-0}{3-(-11)} = \frac{3}{7}$ $y = mx + C$ At (3,6), $6 = \frac{3}{7}(3) + C$ $C = 4\frac{5}{7}$ $y = \frac{3}{7}x + 4\frac{5}{7}$
18c	$y = mx + 4\frac{5}{7}$ at $x = 0$ $y = 4\frac{5}{7}$

	$E = (0, 4\frac{5}{7})$
18d	$\frac{1}{2}(BC)(6) = 22.5$ $BC = 7.5$ $C = (-3.5, 0)$
18e	Coordinate A to C x shifted -6.5 units y shifted -6 units Coordinate D = $(-11 - 6.5, 0 - 6)$ = $(-17.5, -6)$
18f	$7y - 3x + 15 = 0$ $7y = 3x - 15$ $y = \frac{3}{7}x - \frac{15}{7}$ As line l has the same gradient $\frac{3}{7}$ as AB, the two lines are parallel and will not meet
19ai	
19aai	86°
19bi	See diagram above
19bii	See diagram above
19c	Draw perpendicular bisector of WX It is not possible to so, as the perpendicular bisector of WX, the perpendicular bisector of XY, and the angle bisector of WXY do not meet at a single point

20a	
20b	$a = \frac{\text{change in speed}}{\text{change in time}}$ $= \frac{20}{15}$ $= 1.33 \text{ m/s}^2$
20c	<p>Total distance</p> $= (0.5)(20)(15) + (20)(20) + (0.5)(10)(20)$ $= 650 \text{ m}$ <p>Average speed = $\frac{650}{45} = 14.4 \text{ m/s}$</p>